Recent Developments in Online Learning for Big Data Applications

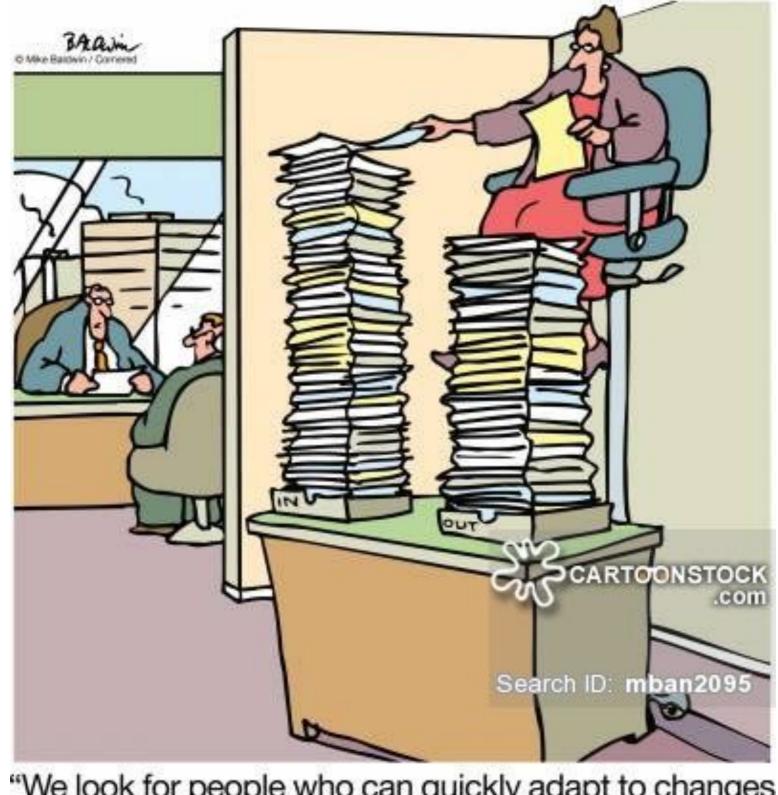
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"We look for people who can quickly adapt to changes in the workplace."

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- Marriage problem, Sultan's dowry problem, googol game, optimal stopping problem, etc.
- Class of Sequential Decision Problems

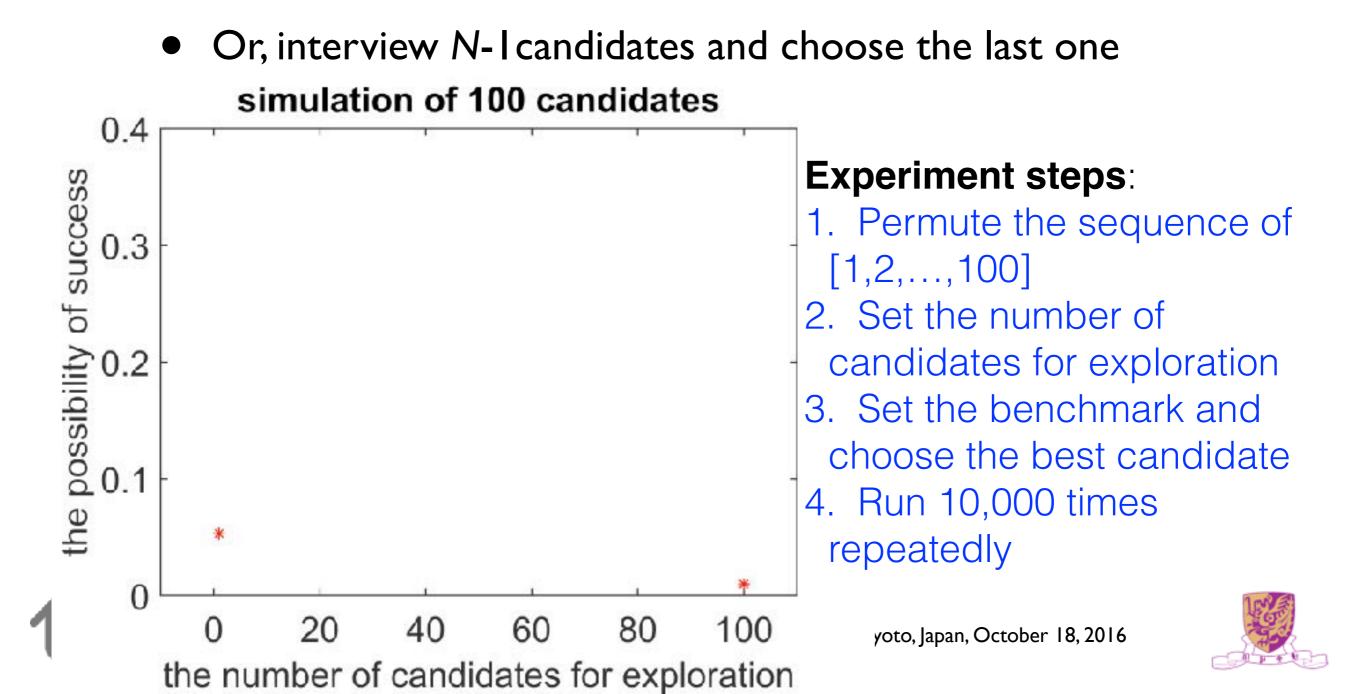
- How to choose the best candidate?
- Assumptions
 - Interview candidates one by one
 - Make a decision to hire or not immediately after the interview
 - Cannot go back and hire another candidate
 - Know the total number of candidates to be interviewed

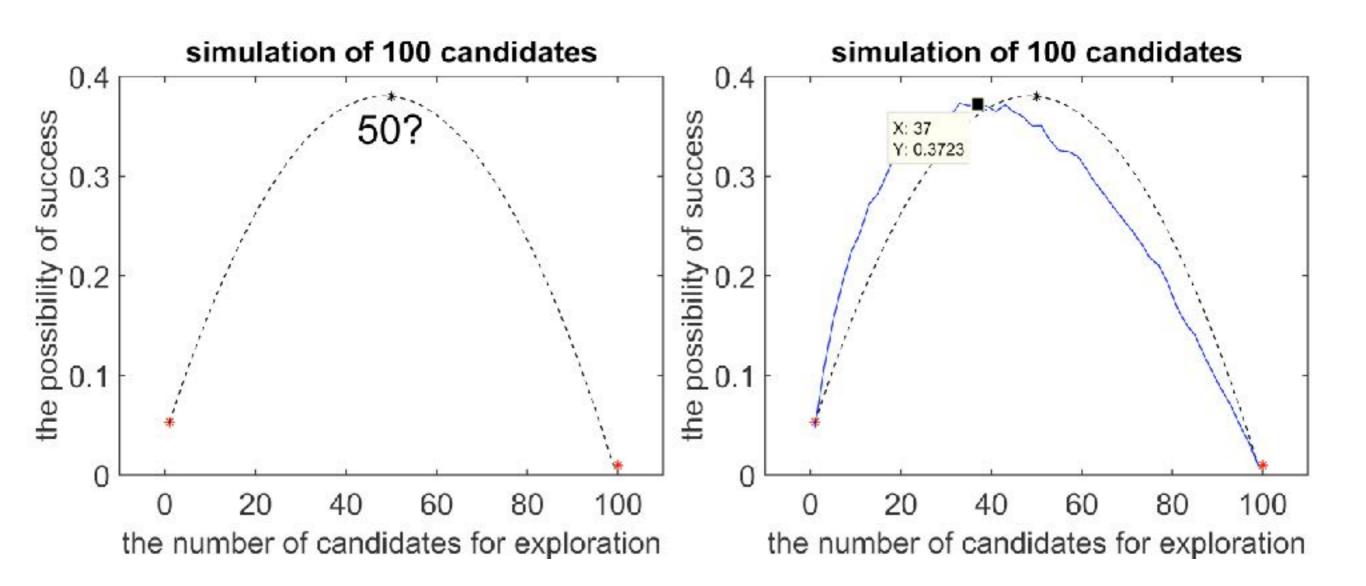


source: <u>http://quoratopstories.tumblr.com/post/108021448078/what-are-the-most-interesting-or-popular</u> Online Learning for Big Data Applications by Irwin King @ ICONIP2016, Kyoto, Japan, October 18, 2016



- Naive solutions
 - Interview the first candidate and set the benchmark









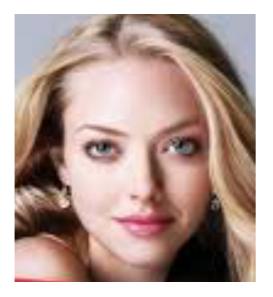
- Optimal strategy [T. S. Ferguson, 1989]
 - Reject the first $N/e \approx 0.37N$ candidates categorically
 - Accept the first one above the top category after N/e
 - The highest probability is 1/e









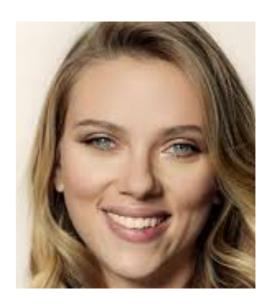














- Pull an arm to get a payoff of the arm for each round
- Assume each round costing one dollar, and a total budget of N dollars



K arms



Exploration vs. Exploitation



- Pull an arm to get a payoff of the arm for each round
- Assume each round costing one dollar, and a total budget of N dollars



- Pull an arm to get a payoff of the arm for each round
- Assume each round costing one dollar, and a total budget of N dollars



• Mean value (MV)

| | | | | 1 | |
|--------|-------------|-------------|-------------|----------|------------------------|
| | Arm 1 | Arm 2 | Arm 3 | Arm 4 | |
| Step 1 | 1/1=1 | 1/1=1 | 1/1=1 | 0/1=0 | Play all the arms once |
| Step 2 | (1+0)/2=0.5 | 1 | 1 | 0 | Break ties randomly |
| Step 3 | 0.5 | (1+2)/2=1.5 | 1 | 0 | Play the best arm |
| Step 4 | 0.5 | (3+1)/3=1.3 | 1 | 0 | Play the best arm |
| Step 5 | 0.5 | (4+0)/4=1 | 1 | 0 | Break ties randomly |
| Step 6 | 0.5 | 1 | (1+3)/2=2 | 0 | Play the best arm |
| Step 7 | 0.5 | 1 | (4+2)/3=2 | 0 | Play the best arm |
| Step 8 | 0.5 | 1 | (4+2)/4=1.5 | 0 | Play the best arm |
| | | | | _ | |

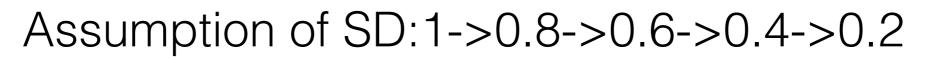
Find the best arm 3 via mean value, but never explore arm 4



• Mean value (MV) + standard deviation (SD)

| | Arm 1 | Arm 2 | Arm 3 | Arm 4 |
|--------|------------------|------------------|------------------|-----------------|
| Step 1 | 1/1+1=2 | 1/1+1=2 | 1/1+1=2 | 0/1+1=1 |
| Step 2 | (1+0)/2+0.8=1.3 | 2 | 2 | 1 |
| Step 3 | 1.3 | (1+1)/2+0.8=1.8 | 2 | 1 |
| Step 4 | 1.3 | 1.8 | (1+0)/2+0.8=1.3 | 1 |
| Step 5 | 1.3 | (2+0)/3+0.6=1.27 | 1.3 | 1 |
| Step 6 | (1+0)/3+0.6=0.93 | 1.27 | 1.3 | 1 |
| Step 7 | 0.93 | (2+0)/4+0.4=0.9 | 1.3 | 1 |
| Step 8 | 0.93 | 0.9 | (1+0)/3+0.6=0.93 | 1 |
| Step 9 | 0.93 | 0.9 | 0.93 | (1+1)/2+0.8=1.8 |







- Optimal strategy [T. L. Lai & H. Robbins, 1985]
 - Play each arm once for the first K rounds
 - Play the explored best arm with upper confidence bound
- Result
 - Mean + upper confidence bound (UCB)

$$UCB_i = \sqrt{\frac{2\log N}{n_i}}, \sum_i n_i = N$$

• N is the number of times for selecting an arm







- ϵ -greedy strategy [N. Cesa-Bianchi & P. Fischer, 1998]
 - With probability of $1-\epsilon_t$ to play the explored best arm
 - With probability of ϵ_t to randomly select inferior arms







Some Variants: Finding k Arms

- Find the top-k arms
- Find top arms in disjoint groups of arms



K arms

 $t = 1, 2, \cdots$







Some Variants: Unknown N

- [J. Langford & T. Zhang, 2008]
- No knowledge of a time horizon to maximize reward



K arms

 $t = 1, 2, \cdots$





Some Variants: Infinite Arms

- [Y.Wang, J.Y.Audibert & R. Munos, 2009]
- Online advertising tasks with infinite advertisements





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Some Variants: Adversarial Bandits

- [O. Besbes, Y. Gur & A. Zeevi, 2014]
- Example: time-varying expected payoff for bandits expectation as in online investments in financial markets





Some Variants: Adversarial Bandits

- [O. Besbes, Y. Gur & A. Zeevi, 2014]
- Example: time-varying expected payoff for bandits expectation









Some Variants: Contextual Bandit

- [Li et al. 2010]
- Additional contextual information in online advertising and online recommendations

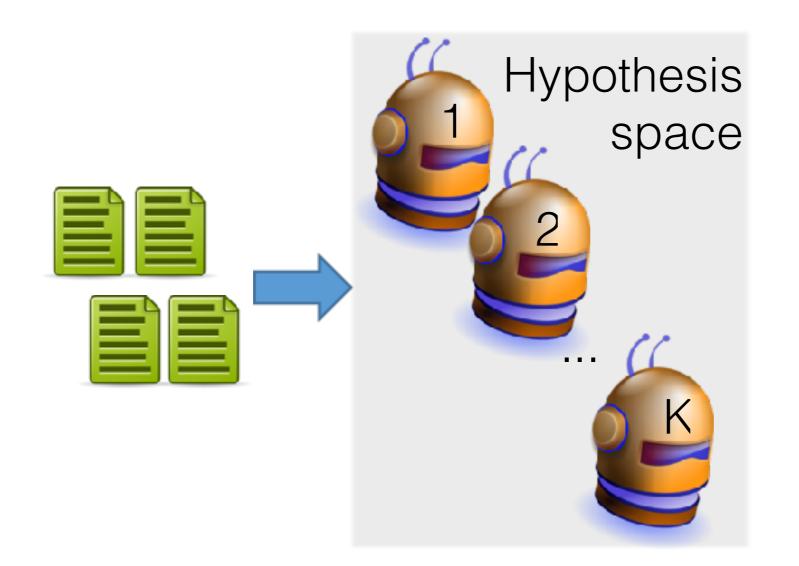


Feature vectors

 $t = 1, 2, \cdots$



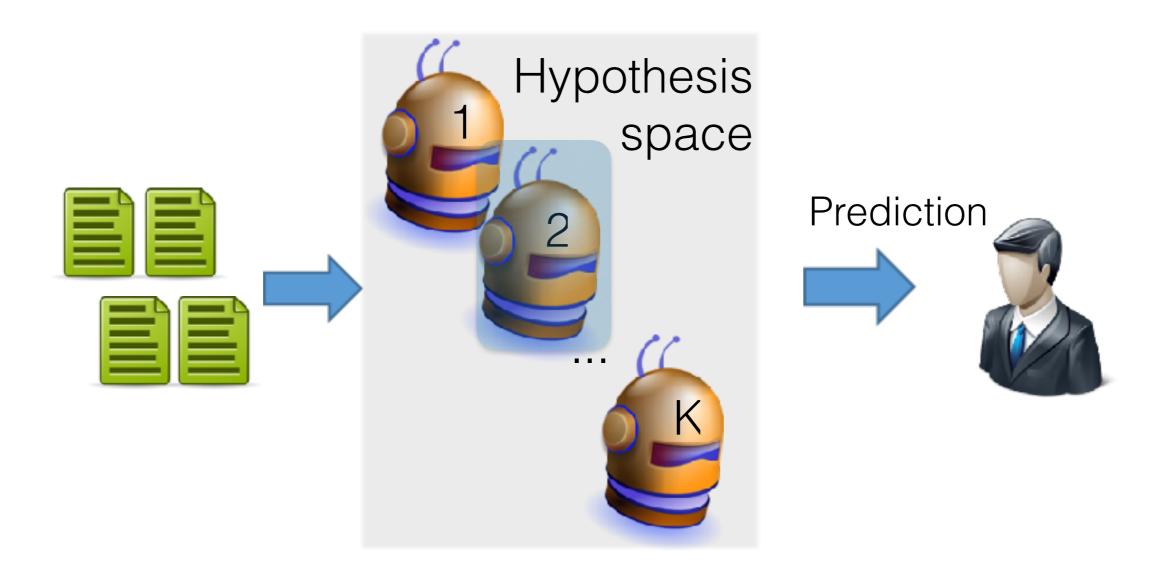




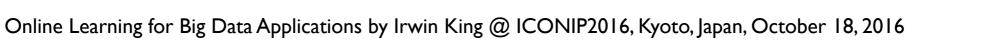




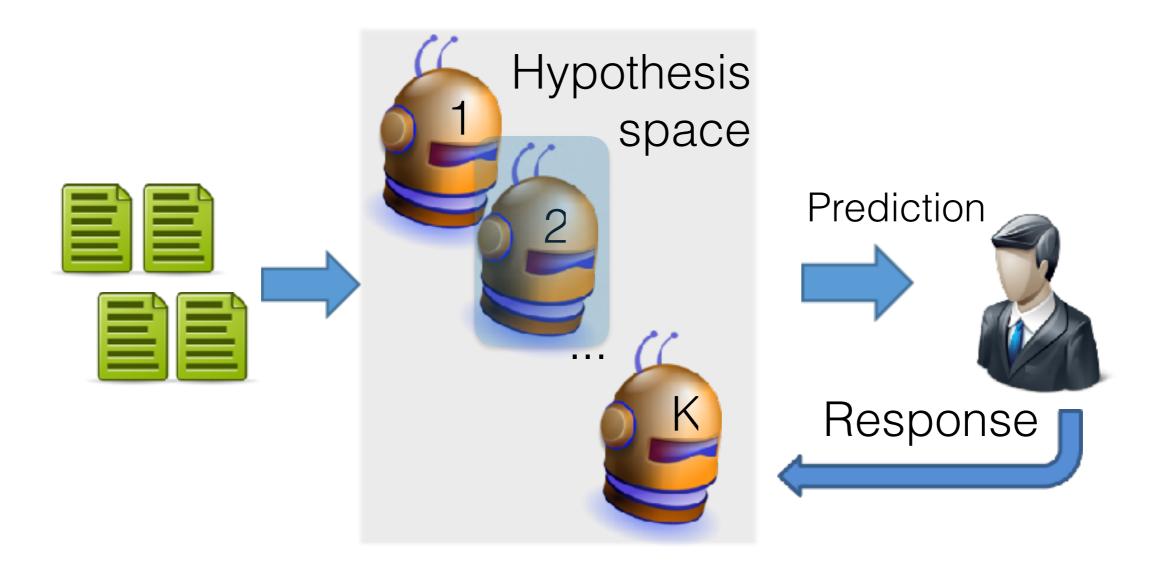






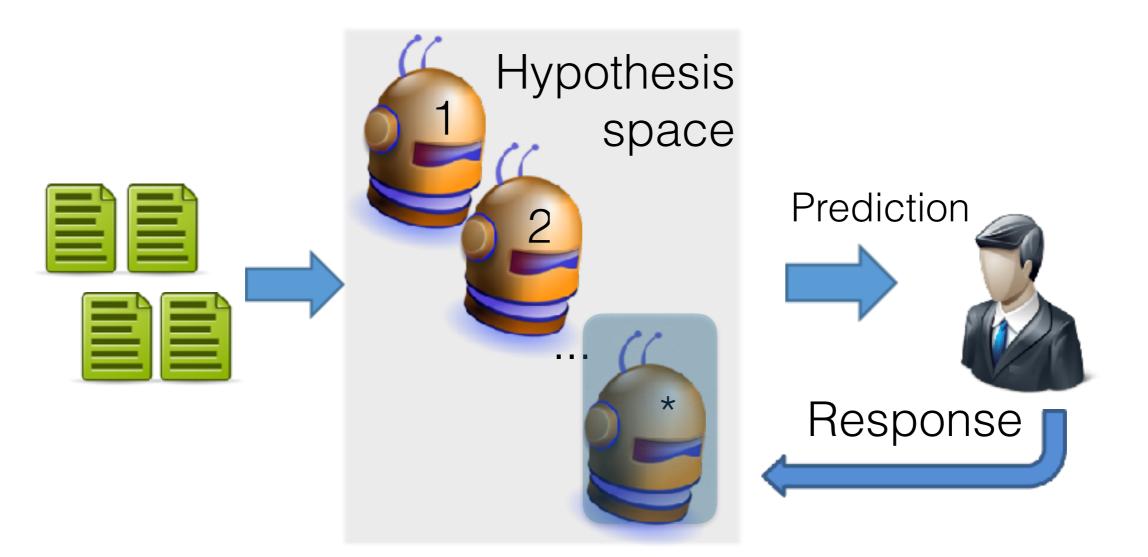


















Why Online Learning

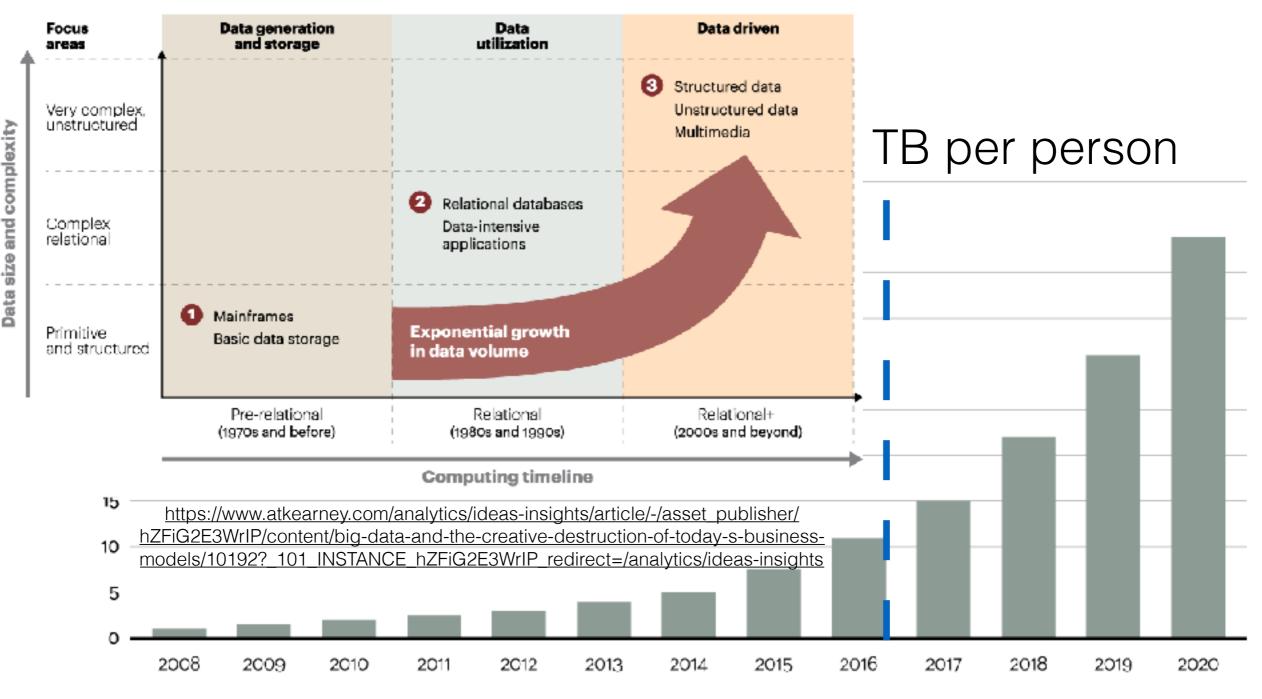








Why Online Learning

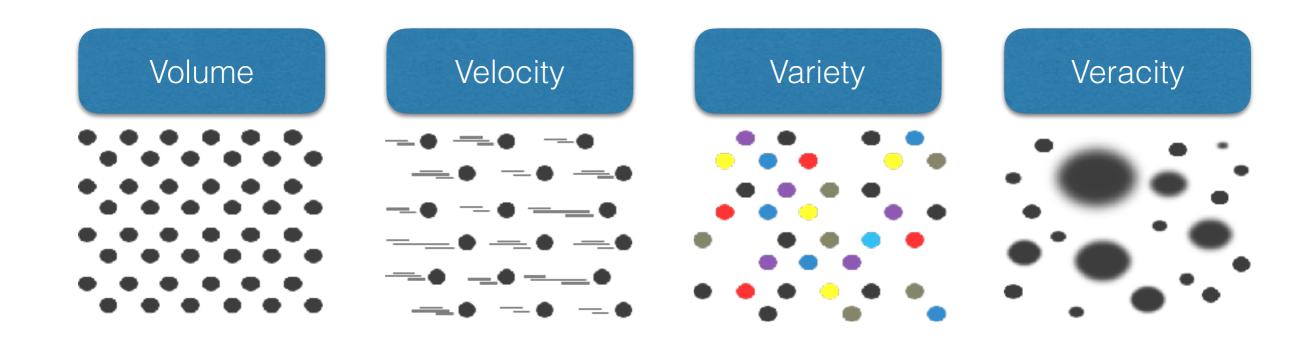


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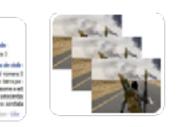


Why Online Learning





40 ZB (2020) 5.2 TB per person







500 TB per day new data



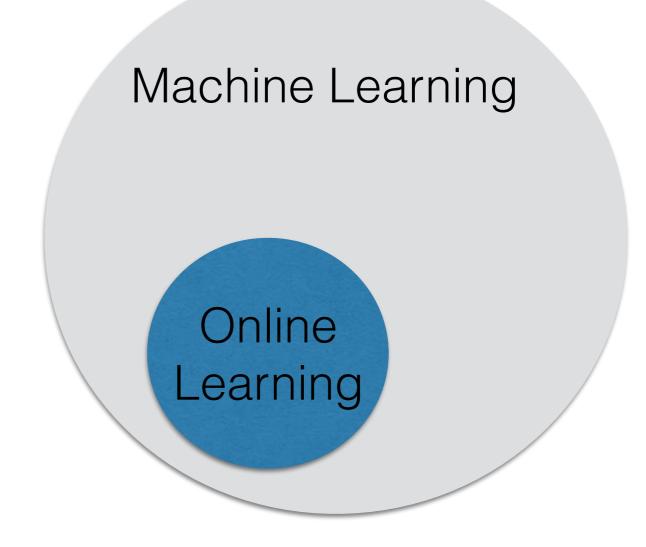
Sometimes they are RIGHT Sometimes they are WRONG But always fun to spread!





Online Learning for Big Data

- Online learning is to solve problems involving sequential interactions between data and environment
- Examples
 - Online classifications
 - Online advertising
 - Online investments



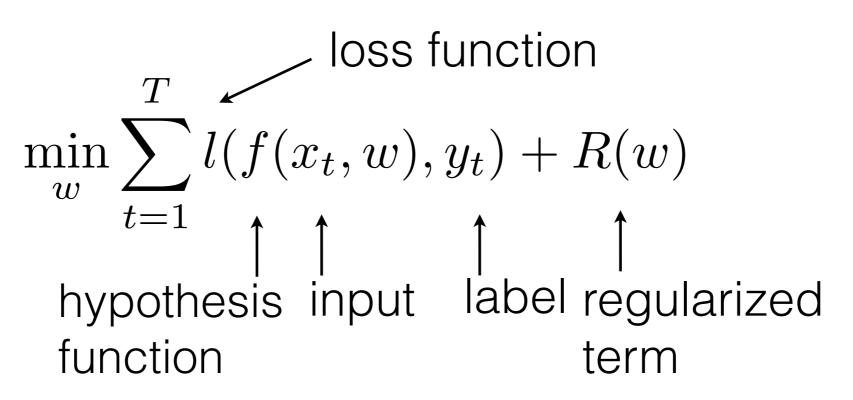






Definition of Online Learning

Machine learning problems



• Online learning problems

$\min_{\{w_1, w_2, \cdots, w_T\}} \sum_{t=1}^T l_t(f_t(x_t, w_{t-1}), y_t) + R(w_{t-1})$





How To Solve Online Learning

- Statistical assumption: i.i.d. and adversarial
 - Recursive Least Squares (RLS) [H. Kushner & G. G.Yin, 2003]

$$F_{t} = F_{t-1} - \frac{F_{t-1}x_{t}x_{t}^{T}F_{t-1}}{1 + x_{t}^{T}F_{t-1}x_{t}}$$
$$w_{t} = w_{t-1} - F_{t}x_{t}(x_{t}^{T}w_{t-1} - y_{t})$$

- Stochastic Gradient Descent (SGD) [M. Zinkevich, 2003] $w_t = w_{t-1} - \gamma x_t (x_t^T w_{t-1} - y_t)$
- Other online convex optimization techniques



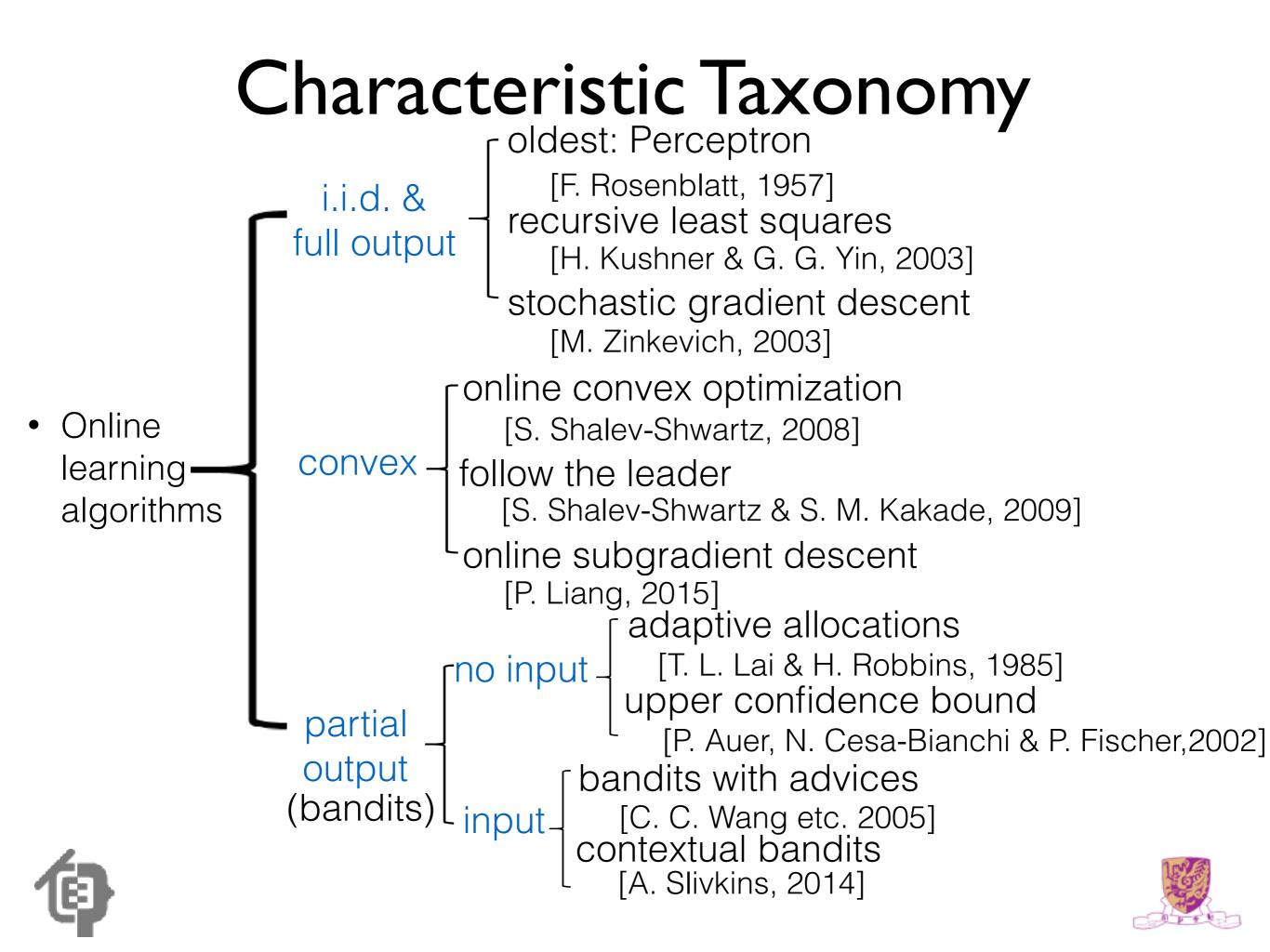


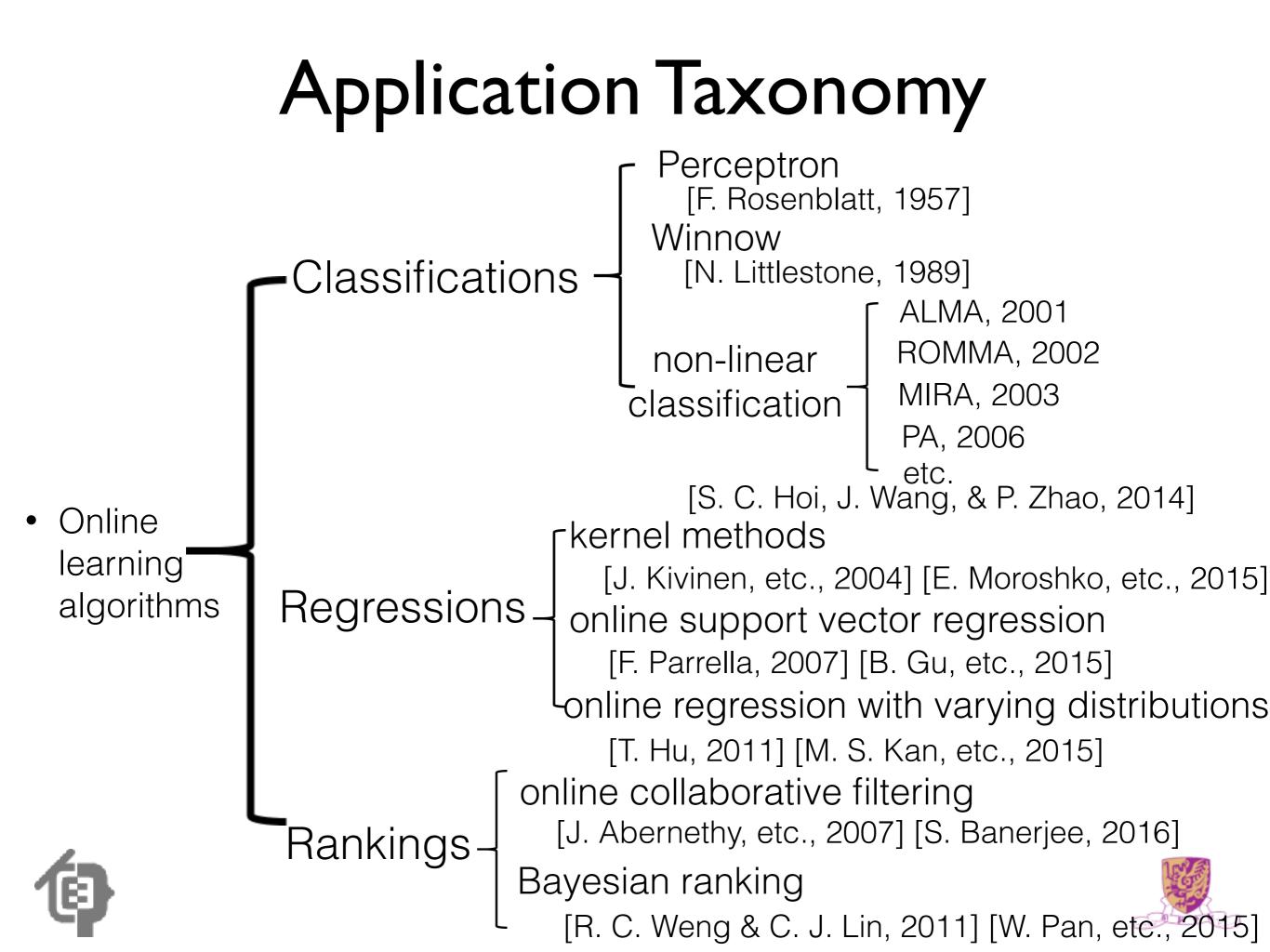
Characteristics of Online Learning

- Memory: Full vs. Partial
 - Online learning can take on all the training data repeatedly or a subset of training data at once
- Feedback: Full vs. Partial
 - Output feedback can be partial or full
 - bandits vs. online regression
- Hypothesis: i.i.d. vs. non-stationary
 - Data generation can be stationary or adversarial
 - Regret bound: $O(\log T)$ vs. $O(\sqrt{T})$









Our Recent Work

- Bandit algorithms for search and recommendation (NIPS2014, ICONIP2016, CIKM2016)
 - Combinatorial Pure Exploration of Multi-Armed Bandits [Chen et al., 2014]
 - Locality-Sensitive Linear Bandit Model for Online Social Recommendation [Zhao et al., 2016]
 - Constructing Reliable Gradient Exploration [Zhao et al., 2016]
- Online kernel classification (AAAI2015)
 - Kernelized Online Imbalanced Learning (KOIL) [Hu et al., 2016]





Bandit Algorithms for Recommendation

- Tackle the adaptive issues
 - Historical records are biased
 - User interests change over time
- Tackle the cold start problem
 - A great issue in recommender system
 - Lack of enough records/observations for new items or new users
- Our consideration
 - Using graph structures among items, e.g., spanning trees, paths, matching, etc.

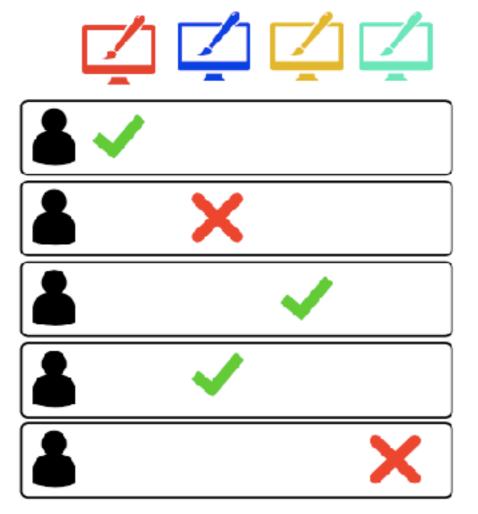


Using graph structures among users, e.g., social networks, etc.



Combinatorial Pure Exploration in Multi-Armed Bandits

- Pure exploration of MAB in A/B testing, clinical trials, wireless network, crowdsourcing, ...
 - A fixed budget to minimize the probability of error
 - A fixed confidence value to minimize the number of rounds



- n arms = n variants
- play arm i = a page view on the i-th variant
- reward = a click on the ads
- finding the best arm = finding the variant with the highest average ads clicks

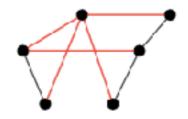
Combinatorial Pure Exploration (CPE)

- Play one arm at each round
- Find the optimal set of arms satisfying certain contents by maximizing the sum of expected rewards of arms in the set as

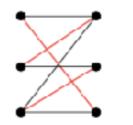
$$M_* = \operatorname*{argmax}_{M \in \mathcal{M}} \sum_{i \in M} w(i)$$

size-k-sets

spanning trees

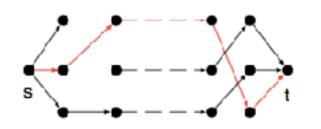


matchings





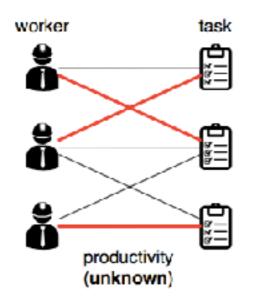






Motivating Examples

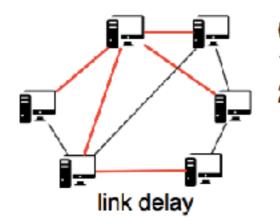
• matching



Goal:

estimate the productivities from tests.
 find the optimal 1-1 assignment.

spanning trees and paths



Goal:

- 1) estimate the delays from measurements
- 2) find the minimum spanning tree or shortest path.

- size-k-sets
 - ▶ finding the top-*k* arms.







Our Results

- Algorithms
 - Two general learning algorithms for a wide range of M
- Upper bounds
 - Sample complexity / probability of error
- Lower bounds
 - Algorithms are optimal (within log factors) for many types of *M* (in particular, bases of a matroid)
- Compared with existing work
 - The first lower bound for the top-*k* problem
 - The first upper and lower bounds for other combinatorial constraints





Locality-Sensitive Linear Bandit Model for Online Social Recommendation

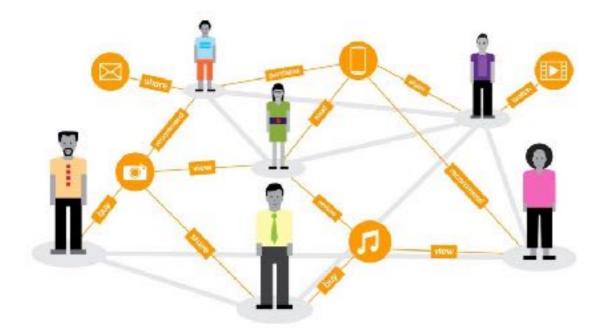
- Motivations
 - Adaptive recommendation by incorporating social information
 - Contextual bandits for online recommendation
 - Arms Items
 - Context
 Item feature
 - Reward Click/Purchase
- Applications
 - Recommender system
 - Online advertising

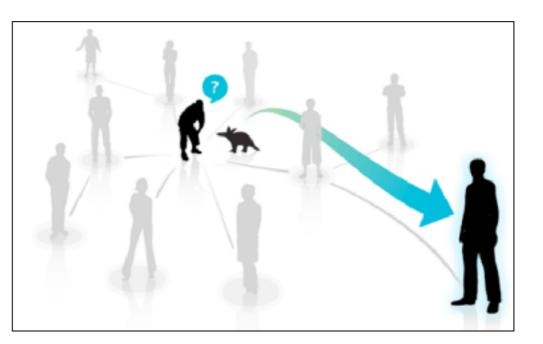




Locality-Sensitive Linear Bandit Model for Online Social Recommendation

- Most bandit algorithms focus on one-player modeling
- Existing social recommendation research focus on offline training
- Our goal is to integrate social network knowledge into bandit algorithms







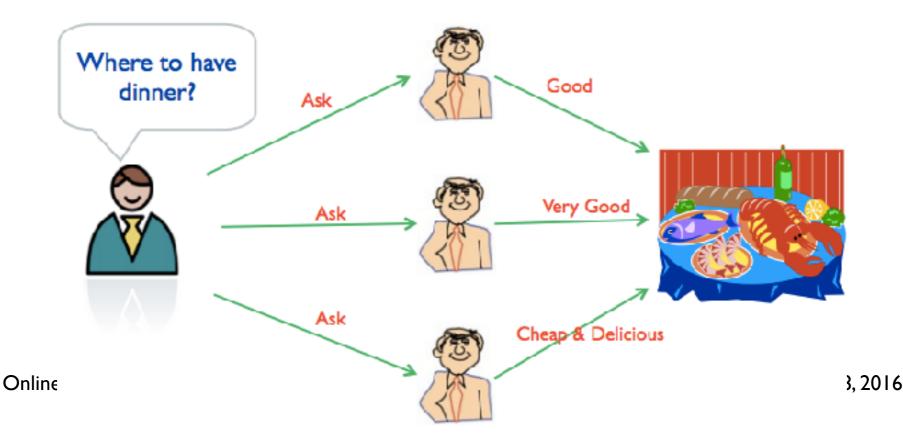


Locality-Sensitive Linear Bandit Model

- Linear Reward Assumption:
 - Given a user u and an item i with feature vector x_i at time t, the reward (preference) is modeled as

$$r_u(x_i) = x_i^T \theta_u^* + \eta_{i,t}$$

• where θ_u^* is the unknown parameter of user u and $\eta_{i,t}$ is a sub-Gaussian noisy term.





Locality-sensitive Social Regularization Construction

 Social regularization term, summarizing local information from social relations

 $\hat{\theta}_{u'} = \sum_{v \in N(u)} \frac{\exp(n_v)\hat{\theta}_v}{\sum_{w \in N(u)} \exp(n_w)}$

• Ridge Regression + Social Regularization term

$$\frac{1}{2} \|b_{u,t} - X_{u,t}\hat{\theta}_u\|_F^2 + \frac{\lambda}{4} \|\hat{\theta}_u\| + \frac{\lambda}{4} \|\hat{\theta}_u - \hat{\theta}_{u'}\|_F^2$$

• Closed-form solution

$$\hat{\theta}_u = (X_{u,t} X_{u,t}^T + \lambda I)^{-1} (X_{u,t} b_{u,t} + \frac{\lambda}{2} \hat{\theta}_{u'})$$

Input: $\lambda, \alpha_1, \alpha_2, ..., \alpha_T$ Initialization: for each user u do $A_u^0 \leftarrow \lambda \mathbf{I}^{d \times d}, \mathbf{b_u} \leftarrow \mathbf{0}^d$ end Simulation: for round $t \leftarrow 1, ..., T$ do for each user u do for $v \in N_u(G)$ do $p_v \leftarrow \frac{\exp(n_v)}{\sum_{v' \in N_v(G)} \exp(n_{v'})}$ end $\widehat{\theta}_{u'} \leftarrow \sum_{v \in N_u(G)} p_v \widehat{\theta}_v$ $\widehat{\theta}_u \leftarrow A_u^{-1}(b_u + \frac{\lambda}{2}\widehat{\theta}_{u'})$ UCB for $i \in 1, ..., k$ do $\hat{r}_{t,a(i)} \leftarrow x_{t,a(i)}^T \widehat{\theta}_u + \alpha_t \sqrt{x_{t,a(i)}^T A_u^{-1} x_{t,a(i)}}$ end Choose the arm $a_t^u \leftarrow \arg \max_{a(i)} \hat{r}_{t,a(i)}$ Observe rewards $r_{t,a_{t}^{u}}$ $A_u^t \leftarrow A_u^{t-1} + x_{t,a_t^u} x_{t,a_t^u}^T$ $b_u \leftarrow b_u + r_{t,a_t^u} x_{t,a_t^u}$ $n_u \leftarrow n_u + 1$ end



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end



Our Results

- Algorithm
 - Locality-sensitive linear bandit (LS.Lin) algorithm
- Theoretical analysis
 - Upper bounds of cumulative rewards
- Compared with existing methods
 - Only consider users' local social relations to avoid propagation of uncertainty to whole network
 - Use a softmax combination to differentiate the contribution from different social relations





Way Forward

- Adversarial environments
 - Contextual bandits with varying distributions
 - Non-linear rewards, Support approximate maximization oracles
- Non-convex assumption
 - Non-convex function for online update
- Social-related bandit algorithms
 - Explore complex structure (community, structure hole, etc.) in social network
 - Model the complex behaviors among users (cooperative vs. competitive, game theory, etc.)



Useful Links

- Tutorials
 - https://sites.google.com/site/banditstutorial/
 - http://ttic.uchicago.edu/~shai/icml08tutorial/
 - http://www.cs.princeton.edu/~ehazan/tutorial/tutorial.htm
- Workshops
 - NIPS 2015 Workshop on Non-convex Optimization for Machine Learning: Theory and Practice
 - Advances in non-convex analysis and optimization
 - <u>NIPS 2010 Workshop: Machine Learning in Online ADvertising</u> (MLOAD 2010)
 - <u>Multi-armed Bandit Workshop 2016 at STOR-i, Lancaster</u>
 <u>University, UK</u>





Useful Links

- Summer school and course
 - Online Learning Summer School (<u>http://www.diku.dk/online-learning-summer-school-2015/</u>)
 - Bandit Algorithms (<u>http://banditalgs.com/</u>)
- Library of online algorithms
 - DOGMA (Discriminative Online (Good?) Matlab Algorithms) (<u>http://dogma.sourceforge.net/</u>)
 - Vowpal Wabbit (Fast Learning) (<u>http://hunch.net/~vw/</u>)
 - LIBOL (A Library for Online Learning Algorithms) (<u>http://</u> <u>libol.stevenhoi.org/</u>)





Acknowledgments

- Ken Chan (Ph.D.)
- Wang Chan (Ph.D.)
- Xixian Chen (Ph.D.)
- Yaoman Li (Ph.D.)
- Han Shao (Ph.D.)
- Yuxin Su (Ph.D.)
- Yue Wang (Ph.D.)
- Xiaotian Yu (Ph.D.)

- Jichuan Zeng (Ph.D.)
- Hongyi Zhang (Ph.D.)
- Jiani Zhang (Ph.D.)
- Shenglin Zhao (Ph.D.)
- Tong Zhao (Ph.D.)
- Looking for PhD students working on machine learning, Big Data, social computing,





. . .

Conclusion

- Online learning is an effective approach to handle incoming data based on the sequential decision framework
- Reviewed literature based on characteristics and application taxonomy
- Present our recent work in designing bandit algorithms with graph structures





"My momma always said, Life was like a box of chocolates. You never know what you're gonna get"

-FORREST GUMP



https://www.quotesaga.com/quote/252/





Once you stop learning, you start dying...

Albert Einstein

KEEP LEARNING!













KNOWLEDGE EDUCATION EXCHANGE PLATFORM





PARTNERS & RELATIONSHIPS

TOP 8 HONG KONG INSTITUTIONS AND INDUSTRY ORGANIZATIONS





KEY FEATURES

TO HELP TEACHERS BECOME BETTER EDUCATORS





KEEPSearch

provides specific education related resources, including courses or events compiles tools and applications to create a community for educators to share best practices

KEEPCatalog

KEEPCourse

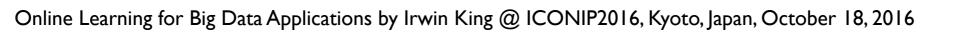
gives educators a chance to upload course content on to a private or global audience encourages in-class interaction among teachers and students to assess learning progress

KEEPoll

KEEPAttendance

take attendance data for a large or small class by simply scanning a QR code!



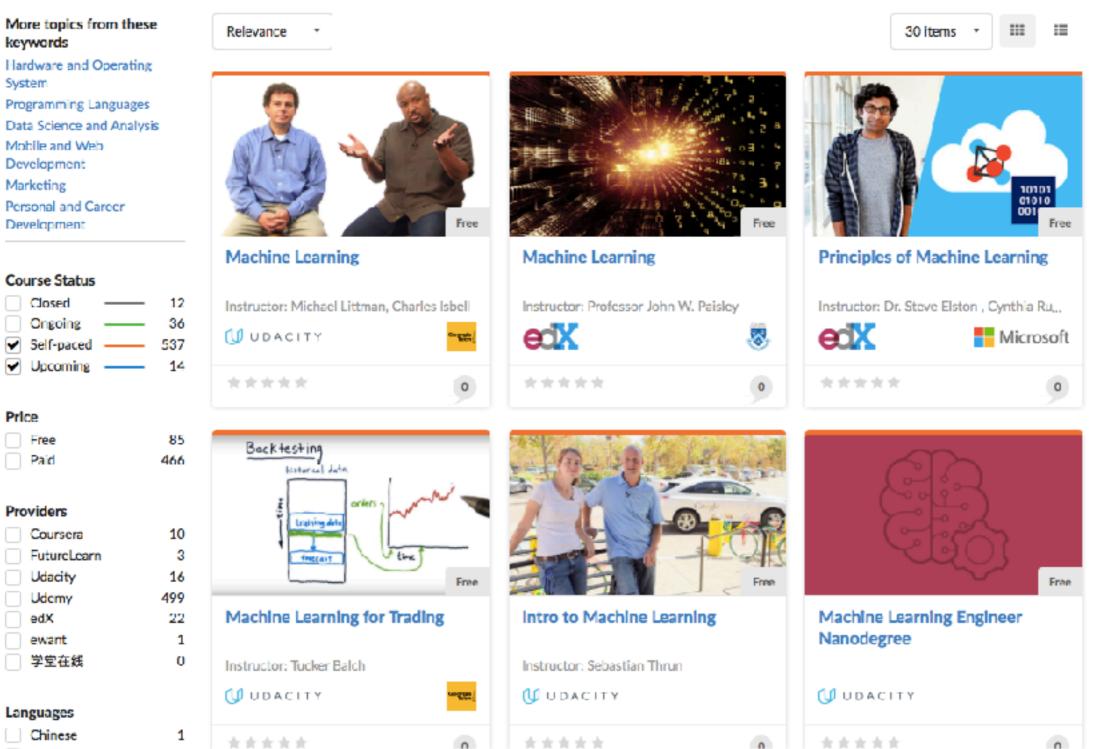




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Search Results of "machine learning"

551 courses

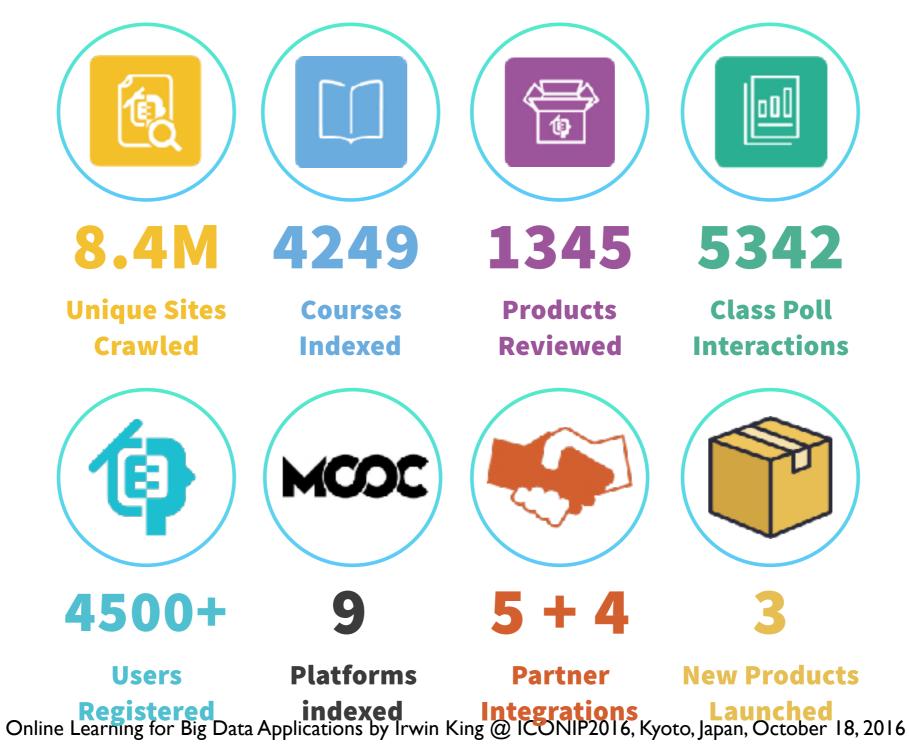






KEEP'S MILESTONES

What have we accomplished?





KEEP'S DIRECTION

| ANALYTICS | Analyze user's click behavior and search patterns for learning analytics Recommend personalized education programs and services for stakeholders |
|------------------|---|
| GAMING | Provide gaming technology to encourage engagement and participation Motivate and empower students through a fun and innovative approach |
| SOCIAL | Connect users with one another via social networks and special interest groups Promote collaboration by provide avenues for group/ community learning |
| MOBILE | Enhance learning and teaching experiences through personalized devices Develop mobile and wearable technology for KEEP |







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Knowledge & Education Exchange Platform the eLearning Innovator

http://www.keep.edu.hk



What is KEEP?

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- A personalized educational portal for users to easily search, subscribe and access content from the KEEP Cloud Ecosystem.
- Supporting the development of innovative teaching and learning with cutting-edge technology.
- Uncovering the most relevant results from different education resources.

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 The only university in Hong Kong having Nobel Laureates as faculty with **five** Distinguished Professorsat-Large



Prof. Yang Chen-Ning, Nobel Laureate in Physics



Prof. Charles Kao Nobel Laureate in Physics



Prof. Sir James A. Mirrlees, Nobel Laureate in Economic Sciences



Prof.Yau Shing-Tung, Fields Medalist



Prof. Andrew Yao, Turing Award

• Nine academicians of Chinese Academy of Sciences and Chinese Academy of Engineering







The Chinese University of Hong Kong

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