# Interconnect-Driven Floorplanning by Searching Alternative Packings 

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#### Abstract

In traditional floorplanners, area minimization is an important issue. Due to the recent advances in VLSI technology, the number of transistors in a design and their switching speeds are increasing rapidly. This results in the increasing importance of interconnect delay and routability of a circuit. We should consider interconnect planning and buffer planning as soon as possible. In this paper, we propose a method to reduce interconnect cost of a floorplan by searching alternative packings. We found that if a floorplan $F$ contains some rectangular supermodules, we can rearrange the blocks in the supermodule to obtain a new floorplan with the same area as $F$ but possibly with a smaller interconnect cost. Experimental results show that we can always reduce the interconnect cost of a floorplan without any penalty in area and runtime by using this method.


## I. Introduction

Floorplanning plays an important role in physical design of VLSI circuits. It plans the shapes and locations of the modules on a chip, and the result of which will greatly affect the overall performance of the final circuit. In the past, area minimization is the major concern in floorplan design. As technology develops rapidly, VLSI circuits continue to scale down. Sizes of transistors are getting smaller and a significant portion of circuit delay is coming from interconnects. In some advanced systems today, as much as $80 \%$ of the clock cycle is consumed by interconnects [2]. The domination of interconnect in system performance has made area minimization less important while routability and delay become the major concern in floorplanning and many other designing steps.

There are several previous works addressing the interconnect issues in floorplan design. In the paper $[5,3,9$, $2,1]$, the authors formulated different congestion-related cost functions (evaluated by some simple global routing) including a hybrid length plus congestion cost function and these cost functions are then optimized by applying some heuristics such as simulated annealing and genetic algorithm. In the paper [2], wires are assumed to
be routed in either L-shaped or Z-shaped in their congestion estimation. However, the paper [8] showed that the congestion-related cost functions cannot reduce congestion effectively. It is because simple global routing may have a great difference with the final detail routing. Lou et al. [4] applied probabilistic analysis to estimate congestion and routability, and they showed that their estimations correlate well with post-route congestion. Besides that, papers $[7,6]$ also used probabilistic analysis in congestion estimation with buffer planning.

Even though interconnect-driven floorplanners can perform congestion optimization and buffer planning effectively, there is a significant penalty on runtime. In this paper, we propose an approach to reduce interconnect cost by searching alternative packings. We have found that if there is a packing $F$ containing some rectangular supermodules, we can rearrange the blocks in the supermodules to obtain a new packing with the same area as $F$ but with possibly smaller interconnect cost. In general, we can apply this approach on the final floorplan solution for different purposes such as congestion reduction and buffer planning.

This paper is organized as follows. There will be an overview of our method in section II. We will discuss the method of searching alternative packings in details in section III. The implementation of a floorplanner with alternative packing searching will be discussed in section IV. Experimental results will be shown in section V. Finally, we will give a conclusion in section VI.

## II. Overview of the Method

In this section, we will have an overview of the method of searching alternative packings. We define an alternative packing of a floorplan as follows.

Definition 1 Given a floorplan $F$ of a set of modules, an alternative packing of $F$ is another floorplan that has the same area as $F$, independent of the module dimensions.

An example of the alternative packings is shown in figure 1. In our method, we want to find all the alternative packings of a floorplan solution. Generally, alternative
packings can be obtained by flipping some rectangular supermodules in a floorplan horizontally, vertically or both horizontally and vertically.


Fig. 1. Example of alternative packings

Since all alternative packings have the same area, their areas are not required to be calculated again. However, the interconnect cost may be different because the locations of some modules have been changed. We can then find one with the minimum interconnect cost among all the alternative packings. It means that the interconnect cost can be further optimized while keeping the area of the packing unchanged. In our floorplanner, we will apply this method to further optimize the interconnect cost of the final floorplan.

## III. Searching Alternative Packings

In figure 1 , there is a rectangular supermodule $X$ containing four modules in the packing. We can change the packings while preserving the area by three ways: flipping $X$ horizontally, flipping $X$ vertically and flipping $X$ horizontally and vertically (we call this a diagonal flip). In the method of searching alternative packings, we will use sequence pair to represent a floorplan. We can obtain alternative packings with the same area by working on the sequence pair representations only. In this section, we will discuss how we can find an alternative sequence pair from a given sequence pair $\left(S_{1}, S_{2}\right)$ such that the packing represented by the alternative sequence pairs will have the same area as that represented by $\left(S_{1}, S_{2}\right)$ independent of the dimensions of the modules.

## A. Rectangular Supermodules in Sequence Pair

In order to construct alternative packings, we need to find all the rectangular supermodules in the given floorplan solution. We define a rearrangable module set in a sequence pair as follows.

Definition 2 Given a sequence pair $\left(S_{1}, S_{2}\right)$, a set of two or more modules forms a rearrangable module set if they form contiguous sub-sequences in both $S_{1}$ and $S_{2}$.

An example is shown in figure 1 . In this example, the packing is represented by the sequence pair (1264753, 4567132). The set of modules $\{4,5,6,7\}$ has formed contiguous sub-sequences in both $S_{1}$ and $S_{2}$. Thus, the set of modules $\{4,5,6,7\}$ is a rearrangable module set according to the above definition. In addition, the set of modules $\{4,5,6,7\}$ will form a rectangular supermodule in the packing according to the following theorem.

Theorem 1 Given a sequence pair $\left(S_{1}, S_{2}\right)$ and its corresponding packing $F$, the set of modules in a rearrangable module set will form a rectangular supermodule in $F$ independent of the dimensions of the modules.

Proof Given a set of modules $M_{r}$ in a rearrangable module set, the modules in $M_{r}$ form a contiguous sub-sequence $s_{r 1}$ in $S_{1}$ and form a contiguous sub-sequence $s_{r 2}$ in $S_{2}$. Consider the relationships between the modules in $M_{r}$ and the other modules not in $M_{r}$. If a module $m_{i} \notin M_{r}$ is on the left of a module in $M_{r}$, the sequence pair of the given floorplan should be (... $\left.m_{i} \ldots s_{r 1} \ldots, \ldots m_{i} \ldots s_{r 2} \ldots\right)$. It means that $m_{i}$ is on the left of all the modules in $M_{r}$. The same argument follows for $m_{i}$ lying on the right of the modules in $M_{r}$. Similarly, if a module $m_{i} \notin M_{r}$ is above a module in $M_{r}$, the sequence pair of the given floorplan should be $\left(\ldots m_{i} \ldots s_{r 1} \ldots, \ldots s_{r 2} \ldots m_{i} \ldots\right)$. It means that $m_{i}$ is above all the modules in $M_{r}$. The same argument follows for $m_{i}$ lying below the modules in $M_{r}$. Thus, the horizontal and vertical relationships between the modules in $M_{r}$ and all the other modules not in $M_{r}$ are identical. As a result, the set of modules in a rearrangable module set will form a rectangular supermodule in the packing independent of the dimensions of the modules.

## B. Finding rearrangable module sets

In order to construct all the alternative packings (alternative sequence pairs) of a given floorplan $F$, we need to find all the rectangular supermodules (rearrangable module sets) in $F$. In this section, we will discuss how we can find all the rearrangable module sets from a given sequence pair effectively. Consider a sequence pair ( $S_{1}, S_{2}$ ) where $S_{1}=s_{11} s_{12} \ldots s_{1 n}$ and $S_{2}=s_{21} s_{22} \ldots s_{2 n}$ where $n$ is the total number of modules. If a contiguous subsequence in $S_{1}$ contains two modules, the sub-sequence should be $\left(s_{1 i} s_{1 i+1}\right)$ for some $1 \leq i \leq n-1$. If a contiguous sub-sequence in $S_{1}$ contains three modules, the subsequence should be ( $s_{1 i} s_{1 i+1} s_{1 i+2}$ ) for some $1 \leq i \leq n-2$. Similarly, if a contiguous sub-sequence in $S_{1}$ contains $n-1$ modules, the sub-sequence should be ( $s_{11} \ldots s_{1 n-1}$ ) or $\left(s_{12} \ldots s_{1 n}\right)$. Notice that the sub-sequences cannot contain more than $n-1$ modules. The total number of contiguous sub-sequences in $S_{1}$ :

$$
\begin{aligned}
& 2+\ldots+(n-2)+(n-1) \\
= & \frac{(n+1)(n-2)}{2}
\end{aligned}
$$

According to definition 2, a rearrangable module set in the sequence pair ( $S_{1}, S_{2}$ ) should form contiguous subsequences in both $S_{1}$ and $S_{2}$. Thus, the maximum number of rearrangable module sets obtained by looking at $S_{2}$ is also equal to $\frac{(n+1)(n-2)}{2}$. In order to find all the rearrangable module sets, we can scan all the possible contiguous sub-sequences from $S_{1}$ or $S_{2}$ and check whether they also form a contiguous sub-sequence in the other sequence. We propose the algorithm FRMS (Find Rearrangable Module Set) to find all the rearrangable module sets. The FRMS algorithm is shown in figure 2.

```
FRMS Algorithm
Input: Total no. of modules, \(n\)
    A sequence pair, \(\left(s_{11} \ldots s_{1 n}, s_{21} \ldots s_{2 n}\right)\)
Output: Total no. of rearrangable module sets, count
    An array of the rearrangable module sets, \(r s\) []
count \(=0\)
for each \(j\) where \(1 \leq j \leq n\)
    \(s s p[j] . l o w=s_{1 j} . p o s\)
    \(s s p[j] . u p=s_{1 j}\). pos \(\left(s_{1 j}\right.\). pos is the position of \(s_{1 j}\) in \(\left.S_{2}\right)\)
for \(i=2\) to \(n\)
    for \(j=i-1\) downto 1
        if \(s s p[j]\).low \(>s_{1 i}\).pos
            \(s s p[j] . l o w=s_{1 i} \cdot p o s\)
        if \(s s p[j] . u p<s_{1 i} . p o s\)
            \(s s p[j] . u p=s_{1 i} . p o s\)
        if \((s s p[j] . u p-s s p[j] . l o w)=(i-j)\)
            \(r s[c o u n t] . e n d=s s p[j] . u p\)
            \(r s[c o u n t] . s t a r t=s s p[j] . l o w\)
            count \(=\) count +1
```

Fig. 2. The algorithm of FRMS

In the algorithm, we try to find all the rearrangable module sets by sequential search. First, we obtain a subsequence $s$ in $S_{1}$. We can then find the first and the last position in $S_{2}$ for those modules in $s$. If the difference between the first and the last position is equal to the number of modules in $s, s$ is a rearrangable module set. In this algorithm, we will scan the sub-sequences in following order: $s_{11} s_{12}, s_{12} s_{13}, s_{11} s_{12} s_{13}, \ldots, s_{1 n-1} s_{1 n}, s_{1 n-2} s_{1 n-1} s_{1 n}, \ldots$, $s_{11} \ldots s_{1 n}$. Once we have found a rearrangable module set, we will store the starting and ending position of this set in $S_{2}$ in the array $r s[]$. An example is shown in figure 3.

Consider the example in figure 3 , we have the packing represented by the sequence pair $\left(S_{1}, S_{2}\right)$ where $S_{1}=$ $a b c d e f g$ and $S_{2}=f c b d g a e$. The $x$-axis $i$ is the last position of a sub-sequence in $S_{1}$ and the $y$-axis $j$ is the first position of a sub-sequence in $S_{1}$. The entry at each position $(i, j)$ is $(s s p[j]$.low, $s s p[j] . u p)$. Notice that these entries are generated column by column. Each newly generated column will overwrite the previously generated column dynamically.

At the beginning, both $s s p[j] . l o w$ and $s s p[j] . u p$ are ini-


Fig. 3. An example of finding rearrangable module sets by FRMS
tialized to $s_{1 j}$.pos for all $j$ where $s_{1 j}$.pos is the position of module $s_{1 j}$ in $S_{2}$. When we consider $i=2$ and $j=1$, this corresponds to the sub-sequence $a b$, the sub-sequence of $S_{1}$ from position 1 to position 2 . The positions of $a$ and $b$ in $S_{2}$ are 3 and 6 respectively, so $s s p[1]$.low is 6 and $s s p[1] . u p$ is 3 . Then $s s p[1] . u p-s s p[1] . l o w+1$ is equal to 4. It means that the shortest sub-sequence in $S_{2}$ containing both $a$ and $b$ has four modules. However, there are only two modules in the sub-sequence $a b$ in $S_{1}$ (it can be computed by $i-j+1$ ). It means that $a b$ cannot form a contiguous sub-sequence in $S_{2}$, so it is not a rearrangable module set.

When we consider $i=3$ and $j=2$, this corresponds to the sub-sequence $b c$, the sub-sequence of $S_{1}$ from position 2 to position 3. The positions of $b$ and $c$ in $S_{2}$ are 2 and 3 respectively, so $s s p[2] . l o w$ is 2 and $s s p[2] . u p$ is 3 . $\operatorname{spp}[2] . u p-s s p[2] . l o w+1$ is equal to 2 , so the shortest subsequence in $S_{2}$ containing both $b$ and $c$ has two modules. Since there are also two modules in the sub-sequence $b c$, $b c$ forms contiguous sub-sequences in both $S_{1}$ and $S_{2}$ and it is a rearrangable module set.

Similarly, when we consider $i=4$ and $j=2$, this corresponds to the sub-sequence $b c d$. The positions of $b, c$ and $d$ in $S_{2}$ are 2, 3 and 4 respectively, so $s s p[2]$.low is 2 and $\operatorname{ssp}[2] . u p$ is 4. $s s p[2] . u p-s s p[2] . l o w+1$ is equal to 3 . It means that the shortest sub-sequence in $S_{2}$ containing $b, c$ and $d$ has three modules. Since there are three modules in the sub-sequence $b c d, b c d$ forms contiguous sub-sequences in both $S_{1}$ and $S_{2}$ and it is a rearrangable module set. By this algorithm, we will scan all the possible sub-sequences in $S_{1}$ and have the following theorem.

Theorem 2 Given a sequence pair $\left(S_{1}, S_{2}\right)$ of a packing $F$, all the rearrangable module sets in $\left(S_{1}, S_{2}\right)$ can be found by the algorithm FRMS.

## C. Alternative Sequence Pairs

In order to construct alternative packings of a given floorplan $F$ described by a sequence pair $\left(S_{1}, S_{2}\right)$, we need to find the corresponding alternative sequence pairs which are obtained by rearranging the modules in one or more

```
(a) Vertical Flip
Horizontal relationship:
(\ldotsm}\mp@subsup{m}{i}{\ldots}\mp@subsup{m}{j}{}\ldots,\ldots\mp@subsup{m}{i}{}...\mp@subsup{m}{j}{}..)\longrightarrow)\xrightarrow{}{\mathrm{ after swapping }
(\ldotsmm... mmi..,\ldotsm\mp@subsup{m}{i}{}..m
after swapping
```



```
(b) Horizontal Flip
Horizontal relationship:
```



```
    Vertical relationship:
    after swapping after reversal
```



```
(c) Diagonal Flip
Horizontal relationship:
after reversal
(\ldotsm}\mp@subsup{m}{i}{}\ldots\mp@subsup{m}{j}{}\ldots,\ldots\mp@subsup{m}{i}{}\ldots\mp@subsup{m}{j}{}\ldots)\longrightarrow(\ldots\mp@subsup{m}{j}{}\ldots\mp@subsup{m}{i}{}\ldots,\ldots\mp@subsup{m}{j}{}\ldots\mp@subsup{m}{i}{}\ldots
Vertical relationship:
after reversal
(\ldotsm}\mp@subsup{m}{i}{}..\mp@subsup{m}{j}{\ldots},\ldots\mp@subsup{m}{j}{\ldots}\mp@subsup{m}{i}{}\ldots)\longrightarrow(\ldots\mp@subsup{m}{j}{\ldots}\mp@subsup{m}{i}{}\ldots,\ldots\mp@subsup{m}{i}{}\ldots\mp@subsup{m}{j}{\ldots.}
```

Fig. 4. Vertical flip
rearrangable module sets in $\left(S_{1}, S_{2}\right)$. According to theorem 1, the modules in a rearrangable module set should form a rectangular supermodule in the packing. The rearrangements should be identical to performing a horizontal flip, vertical flip or diagonal flip on the supermodule.

Given a sequence $s$, we use $\tilde{s}$ to denote the sequence obtained by writing $s$ in the reversed order. For example, if $s=123, \tilde{s}=321$. We can perform horizontal and vertical flip by swapping or reversing the rearrangable subsequences.

## C. 1 Vertical Flip

Figure 1 shows a packing corresponding to the sequence pair (1264753, 4567132) with a rearrangable module set $\{4,5,6,7\}$. To perform a vertical flip on the supermodule formed by $\left(S_{1}, S_{2}\right)=(6475,4567)$, we swap $S_{1}$ and $S_{2}$ : $S_{v 1}=S_{2}$ and $S_{v 2}=S_{1}$. Before swapping, if a module $m_{i}$ is on the left of $m_{j}$ in the initial packing, $m_{i}$ should be in front of $m_{j}$ in both $S_{1}$ and $S_{2}$. After swapping, $m_{i}$ is still in front of $m_{j}$ in both $S_{v 1}$ and $S_{v 2}$. Thus, the horizontal relationships between the modules are preserved. On the other hand, if a module $m_{i}$ is above $m_{j}$ before swapping, $m_{i}$ should be in front of $m_{j}$ in $S_{1}$ and after $m_{j}$ in $S_{2}$. After swapping, $m_{i}$ is after $m_{j}$ in $S_{v 1}$ and in front of $m_{j}$ in $S_{v 2}$. Thus, the vertical relationships between the modules will be reversed. An illustration is shown in figure 4a.

## C. 2 Horizontal Flip

When we perform horizontal flip, we reverse and swap the sequences: $S_{h 1}=\tilde{S}_{2}$ and $S_{h 2}=\tilde{S}_{1}$. If a module $m_{i}$ is on the left of $m_{j}$ in the original packing, $m_{i}$ should be in front of $m_{j}$ in both $S_{1}$ and $S_{2}$ before the reversal but $m_{i}$ will be after $m_{j}$ after the reversal. Then we perform
swapping which has no effect on the horizontal relationships between the modules. As a result, the horizontal relationships between the modules will be reversed. On the other hand, if a module $m_{i}$ is above $m_{j}$ in the original packing, $m_{i}$ should be in front of $m_{j}$ in $S_{1}$ and after $m_{j}$ in $S_{2}$. After the reversal, $m_{i}$ will become after $m_{j}$ in $\tilde{S}_{1}$ and in front of $m_{j}$ in $\tilde{S}_{2}$. We then perform swapping by which the vertical relationships will be reversed once again. As a result, the vertical relationships between the modules are unchanged. An illustration is shown in figure 4b.

## C. 3 Diagonal Flip

Finally, we perform diagonal flip. Actually, this can be considered as performing a horizontal or vertical flip first and then followed by the other one. Thus $S_{d 1}=S_{h 2}=\tilde{S}_{1}$ and $S_{d 2}=S_{h 1}=\tilde{S}_{2}$, or $S_{d 1}=\tilde{S_{v 2}}=\tilde{S}_{1}$ and $S_{d 2}=\tilde{S_{v 1}}=$ $\tilde{S}_{2}$. As a result, $S_{d 1}=\tilde{S}_{1}$ and $S_{d 2}=\tilde{S}_{2}$. An illustration is shown in figure 4 c .

After finding all the rearrangable module sets, we can obtain the alternative packings by applying vertical flips, horizontal flips or diagonal flips on those sub-sequences.

## IV. Implementation

In order to evaluate the method of searching alternative packings in improving interconnect cost, we have implemented this method in an interconnect-driven floorplanner that uses half-perimeter estimation on wirelength calculation and uses sequence pair as the floorplan representation. In this floorplanner, we propose a three step process to reduce interconnect cost. First, we find all the rearrangable module sets of a give sequence pair $\left(S_{1}, S_{2}\right)$ by FRMS. Then the alternative sequence pairs are obtained by swapping and reversing some rearrangable module sets in $\left(S_{1}, S_{2}\right)$. Finally, we optimize the interconnect cost by selecting the alternative packing with the minimum wirelength. Since all the alternative packings have the same area, there is no area penalty on picking different alternative packings.

## A. Re-calculation of Interconnect Cost

After we have found the alternative sequence pairs, we need to re-calculate the interconnect cost. It is time consuming if we need to re-construct the horizontal and vertical constraint graphs whenever an alternative sequence pair is obtained.

In our floorplanner, we can calculate the new positions of the modules in the alternative packings by the following method. First of all, a rearrangable module set will form a rectangular supermodule in the packing. We can thus obtain the co-ordinates of the upper right corner ( $x_{u p}, y_{u p}$ ) and the co-ordinates of the lower left corner $\left(x_{\text {low }}, y_{\text {low }}\right)$ of the rectangular supermodule. Then we can estimate the new positions of the modules in the rearrangable module
sets by the following equations according to the operations.

Horizontal flip,

$$
\begin{aligned}
x_{\text {new }} & =x_{\text {low }}+\left(x_{\text {up }}-x_{\text {old }}-\text { length }\right)(1) \\
y_{\text {new }} & =y_{\text {old }}
\end{aligned}
$$

Vertical flip,

$$
\begin{align*}
x_{\text {new }} & =x_{\text {old }}  \tag{2}\\
y_{\text {new }} & =y_{\text {low }}+\left(y_{\text {up }}-y_{\text {old }}-\text { height }\right)
\end{align*}
$$

Diagonal flip,

$$
\begin{aligned}
x_{\text {new }} & =x_{\text {low }}+\left(x_{\text {up }}-x_{\text {old }}-\text { length }\right)(3) \\
y_{\text {new }} & =y_{\text {low }}+\left(y_{\text {up }}-y_{\text {old }}-\text { height }\right)
\end{aligned}
$$

where $\left(x_{\text {old }}, y_{\text {old }}\right)$ is the position of the module before flipping, $\left(x_{\text {new }}, y_{\text {new }}\right)$ is the position of the module after flipping, and length and height are the length and height of the module respectively.

From the above equations, we can find the new positions of the modules in the alternative packings efficiently.

## B. Cost Function

We use simulated annealing in our floorplanner. Simulated annealing is an iterative and non-deterministic optimization technique. We use the following cost function:

$$
\text { Cost }=\text { Area }+\alpha \times \text { Wire }
$$

where Area is the area of the floorplan, Wire is the total wirelength (half-perimeter estimation is used), $\alpha$ is a parameter. This parameter will be set at the beginning of the simulated annealing process according to the ratio of importance of the area term and the wirelength term. This can be done by performing a sequence of random walks at the beginning of the annealing process and sampling the average values of these penalty terms. The value of $\alpha$ can then be computed accordingly.

## C. Time Complexity

According to the algorithm of FRMS, we need to scan all the possible sub-sequences. If the packing contains $n$ modules, there will be two sub-sequences with $n-1$ modules, three sub-sequences with $n-2$ modules, $\ldots$, and $n$ sub-sequences with one module. Therefore, we need to scan $2+3+\ldots+n-1+n$ times which is equal to $\frac{(n+2)(n-1)}{2}$. As a result, the time complexity is $O\left(n^{2}\right)$.

## V. Experimental Results

We have implemented two floorplanners, a floorplanner $F 1$ based on simulated annealing that applies the three step process of searching alternative packings to reduce the interconnect cost of the final floorplan solution only
and a floorplanner $F 2$ that applies the three step process to reduce the interconnect cost of every intermediate floorplan solution in the annealing process.

In the experiments, we use half-perimeter estimation in wirelength computation. The data sets used in the experiments are $h p$, ami33, ami49, playout and six randomly generated data sets. Each result shown in table II and III is the average value obtained by performing an experiment eight times. The information of the data sets is shown in table I.

| Cases | No. of <br> modules | No. of <br> Nets | Cases | No. of <br> modules | No. of <br> Nets |
| :---: | ---: | :---: | :---: | ---: | ---: |
| $c 30 \_1$ | 30 | 1000 | $c 50 \_3$ | 50 | 2500 |
| $c 30 \_2$ | 30 | 1000 | $h p$ | 10 | 83 |
| $c 30 \_3$ | 30 | 1000 | ami33 | 33 | 123 |
| $c 50 \_1$ | 50 | 2500 | ami49 | 49 | 408 |
| $c 50 \_2$ | 50 | 2500 | playout | 62 | 1161 |

TABLE I
Information of Data sets

Table II shows the improvement in wirelength after searching alternative packings of the final floorplan solution. As the time penalty for searching alternative packings of the final floorplan solution is so small, i.e., less than $0.1 \%$ for all test cases, and the improvement on wirelength is guaranteed, it is desirable to apply the method. However, the average improvement on wirelength is not big because the number of alternative packings is limited and the final solution is already optimized in interconnect cost by the annealing process.

From table II, we can see that the improvement will increase when the weight of wirelength in the cost function is reduced. It is because when the weight of wirelength in the cost function is reduced, the wirelength will be less optimized in the solution of the simulated annealing process. This may result in an increase in the differences in wirelength between a packing and its alternative packings. As a result, both the average improvement and the maximum improvement increase when the weight of wirelength in the cost function is reduced.

Comparing the floorplanner $F 1$ and $F 2$ in table III, we can see that the result between $F 1$ and $F 2$ is similar. However, the runtime of $F 1$ is much faster than that of $F 2$. We can conclude that applying the three step process of searching alternative packings to reduce the interconnect cost of the final floorplan solution is good enough and there is no need to apply the method to all intermediate floorplan solutions in the annealing process.

## VI. Conclusion

In this paper, we present a new method to reduce interconnect cost by searching alternative packings. We have

| Cases | ${ }^{1} r=2$ |  | $r=4$ |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Mean Improvement in Wirelength | Max. Improvement in Wirelength | Mean Improvement in Wirelength | Max. Improvement in Wirelength |
| c30_1 | 0.11\% | 0.88\% | 0.32\% | 1.05\% |
| c30_2 | 0.06\% | 0.48\% | 0.07\% | 0.53\% |
| c30_3 | 0.13\% | 1.04\% | 0.32\% | 1.55\% |
| c50_1 | 0.12\% | 0.95\% | 0.23\% | 1.74\% |
| c50_2 | 0.03\% | 0.28\% | 0.12\% | 0.93\% |
| c50_3 | 0.08\% | 0.67\% | 0.46\% | 1.94\% |
| $h p$ | 0.18\% | 1.28\% | 0.52\% | 4.25\% |
| ami33 | 0.16\% | 0.95\% | 0.36\% | 2.74\% |
| ami49 | 0.06\% | 0.39\% | 0.26\% | 2.01\% |
| playout | 0.06\% | 0.19\% | 0.07\% | 0.49\% |
| ${ }^{1} \alpha \approx \frac{\text { wirelength } * r}{\text { area }}$ |  |  |  |  |

TABLE II
MAXIMUM AND AVERAGE IMPROVEMENT ON WIRELENGTH BY applying the method of searching alternative packings on THE FINAL SOLUTION FLOORPLAN
found that if a packing $F$ contains some rectangular supermodules, we can rearrange the blocks in the supermodules to obtain a new packing with the same area as $F$ but possibly with an improved interconnect cost. In our implementation, we find all the rearrangable module sets in a sequence pair and then obtain the alternative sequence pairs by performing swapping or reversing on the rearrangable module sets. The wirelengths of the alternative packings can be calculated easily without re-construction of the horizontal and vertical constraint graphs. According to the experimental results, our floorplanner can reduce interconnect cost without any penalty in area or runtime.

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| Cases |  | Area <br> $\left(10^{3} \mu m^{2}\right)$ | Wire- <br> length <br> $\left(10^{3} \mu m\right)$ | I New <br> Wirelength <br> $\left(10^{3} \mu m\right)$ | Run- <br> time <br> $(s)$ |
| :---: | :---: | ---: | ---: | ---: | ---: |
| $c 30 \_1$ | $F 1$ | 561.64 | 656.83 | 652.56 | 73.98 |
|  | $F 2$ | 562.30 | 655.49 | - | 381.79 |
| $c 30 \_2$ | $F 1$ | 355.14 | 592.47 | 591.32 | 71.59 |
|  | $F 2$ | 356.72 | 589.98 | - | 441.64 |
| $c 30 \_3$ | $F 1$ | 279.36 | 525.12 | 521.08 | 73.18 |
|  | $F 2$ | 280.42 | 522.08 | - | 539.19 |
| $c 50 \_1$ | $F 1$ | 578.54 | 1824.25 | 1820.81 | 188.55 |
|  | $F 2$ | 577.98 | 1815.46 | - | 708.63 |
| $c 50 \_2$ | $F 1$ | 509.09 | 1786.42 | 1784.25 | 188.06 |
|  | $F 2$ | 511.21 | 1783.15 | - | 612.93 |
| $c 50 \_3$ | $F 1$ | 929.61 | 2392.52 | 2380.09 | 192.37 |
|  | $F 2$ | 928.98 | 2382.12 | - | 639.12 |
| $h p$ | $F 1$ | 9.881 | 5.399 | 5.389 | 1.69 |
|  | $F 2$ | 9.879 | 5.340 | - | 7.56 |
| ami33 | $F 1$ | 1213.47 | 73.55 | 73.25 | 13.49 |
|  | $F 2$ | 1213.30 | 73.49 | - | 81.79 |
| ami49 | $F 1$ | 38080 | 1093.67 | 1092.09 | 33.18 |
|  | $F 2$ | 37940 | 1117.91 | - | 89.09 |
| playout | $F 1$ | 957.75 | 676.26 | 675.81 | 101.36 |
|  | $F 2$ | 955.14 | 680.63 | - | 308.56 |

${ }^{1}$ Further optimized by searching alternative packings.
TABLE III
Comparisons between $F 1$ and $F 2$

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